

Group: _____ Present: _____

1. Compute the following for the vectors $\underline{u} = \langle -3, 4 \rangle$ and $\underline{v} = \langle -2, 3 \rangle$.
 - (a) $3\underline{u} - 5\underline{v}$
 - (b) $\|\underline{u}\|$
 - (c) The direction angle for \underline{v}
 - (d) A unit vector \underline{w} in the same direction as \underline{u} .
2. Write the vector which has length 7 and direction 115° in terms of its horizontal and vertical components (that is, as a linear combination of the standard unit vectors \underline{i} and \underline{j}).
3. Navigation. Suppose an aircraft has a cruising speed (relative to air) of 500 miles per hour, and that the wind speed at cruising altitude is 150 miles per hour directly FROM the West.
 - (a) If the plane has bearing 35° (that's the direction the pilot points the plane), in what direction and at what speed will the plane actually go (relative to the ground)? Follow these steps:

Write the velocity vector \underline{u} for the plane (relative to the air) in terms of \underline{i} and \underline{j} (Remember to convert between navigational bearings and angles measured mathematically):

Write the velocity vector \underline{w} for the wind (relative to the ground) in terms of \underline{i} and \underline{j} :

Find the velocity vector \underline{v} for the plane relative to the ground:

Answer the initial question by finding the length and direction of the vector \underline{v} .
 - (b) Think about how you would solve the real navigation problem: finding the direction to point the plane so that the aircraft actually flies to its destination!