

Group: \_\_\_\_\_ Present: \_\_\_\_\_

1. Compute the projection  $b_0$  of the vector  $v = [-2, 3, 1]^t$  onto the vector  $u = [1, -3, 1]^t$ . Also compute the complement  $b_1$  of  $v$  with respect to  $u$ . The inner product is the usual dot product.

$$b_0 = \frac{v \cdot u}{u \cdot u} u =$$

$$b_1 =$$

2. We want to figure out a formula for the projection of a general vector  $x = [x_1, x_2, x_3]^t$  onto the plane with equation  $2x - y + 4z = 0$ .

First step: Find a basis  $\{A_1, A_2\}$  for the null space of the system (of one equation in three unknowns)  $2x - y + 4z = 0$  (that is, a basis for the plane).

Second step: apply the Gram-Schmidt process to find an orthogonal basis  $\{Q_1, Q_2\}$  for the plane.

Find the projection of  $x = [x_1, x_2, x_3]^t$  onto the plane using your orthogonal basis and the Fourier Theorem.

Use your formula to find the projection of  $[7, 5, -3]^t$  onto the plane  $2x - y + 4z = 0$ .